## **INHALTSVERZEICHNIS**

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Alex OLIVER: Hazy Totalities and Indefinitely Extensible Concepts: An Exercise in the Interpretation of Dummett's Philosophy of Mathematics  Dummett argues that classical quantification is illegitimate when the domain is given as the objects which fall under an indefinitely extensible concept, since in such cases the objects are not the required definite totality. The chief problem in understanding this complex argument is the crucial but unexplained phrase 'definite totality' and the associated claim that it follows from the intuitive notion of set that the objects over which a classical quantifier ranges form a set. 'Definite totality' is best understood as disguised plural talk like Cantor's 'consistent multiplicity', although this does not help in understanding how a totality could be anything other than definite.	25

Moreover, contrary to his claims, Dummett's own notion of set is not intuitive and he does not demystify the set-theoretic paradoxes. In

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On a classical conception, knowing the sense of a proposition is knowing its truth-condition, rather than simply knowing how to ver-	

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